

RANRA Study Tips

Public Health Specialty Training -- Numerical Reasoning Appraisal

The RANRA is not a maths test -- it is a decision-making test that uses numbers. The arithmetic rarely goes beyond GCSE level. What trips people up is logic, certainty, and time. Roughly 40 minutes for both sections -- under a minute per question.

Section 1 -- Comparison of Quantities

Options: A (Quantity A greater) | B (Quantity B greater) | C (equal) | D (cannot be determined)

Trap 1.1

Forgetting that D exists -- the most common error

Candidates fall into an A/B/C rhythm and force a comparison even when a variable is unbounded. If you cannot pin a variable to a range that forces one outcome, the answer is D.

e.g. $A = x^2$, $B = x$. If $x=2$: $A>B$. If $x=0.5$: $A<B$. Outcome flips -- D.

Trap 1.2

Unit mismatch

Quantities are sometimes in different units to catch quick readers. Always convert before comparing.

e.g. $A = 2.4$ km, $B = 2,300$ m. Wrong: $2,300 > 2.4$ -- B. Right: $A = 2,400$ m $> B$ -- A.

Rule: Watch for: pound/dollar, thousands/millions, km/miles, kg/lb, hours/minutes.

Trap 1.3

Percentage changes multiply -- they don't add

Successive percentage changes do not cancel symmetrically.

e.g. Price rises 20% then falls 20%. Wrong: $+20-20=0$, equal -- C. Right: $100 \times 1.2 = 120 \times 0.8 = 96$. $A>B$.

Rule: A 50% rise followed by a 50% fall leaves you at 75% of original.

Trap 1.4

Sign blindness -- negatives and zero

Most intuitions only hold for positive numbers. Always test a negative case and a zero case before locking in.

e.g. Given $x>y$. $A=x^2$, $B=y^2$. If $x=1$, $y=-3$: $x>y$ but $x^2=1 < y^2=9$ -- D.

Trap 1.5

Average of averages

The average of two group averages is NOT the overall average unless group sizes are equal.

e.g. 30 pupils avg 60%, 10 pupils avg 80%. Wrong: $(60+80)/2=70$. Right: $(1800+800)/40=65$.

Rule: Weight by the size of each group.

Trap 1.6

Doing arithmetic you don't need

Look for structure and shared factors before computing.

e.g. $A=23\%$ of 480, $B=48\%$ of 230. $23 \times 480 = 48 \times 230 = 11,040$. Equal -- C. No long multiplication needed.

Section 2 -- Sufficiency of Information

Options: A (1 alone) | B (2 alone) | C (both together) | D (each alone) | E (neither sufficient) Memorise these five options cold before the test.

Trap 2.1

Solving instead of checking

You don't need the answer -- only whether each statement forces a unique answer.

e.g. What is $x+y$? (1) $x=6$, (2) $x+y=10$. Statement 1 gives only x , y is free -- not sufficient. Statement 2 gives $x+y$ directly -- B.

Trap 2.2

Carrying statement 1 into statement 2 -- the most common error

Once you read statement 1 it stays in your head. You must wipe the slate clean before evaluating statement 2.

Rule: Evaluate (1) alone. Then (2) alone. Only then consider together -- and only if both alone were insufficient.

Trap 2.3

Sufficient does not mean true

A statement can be accurate and still leave the answer undetermined.

e.g. Is x positive? (1) x squared = 9. True -- but x could be 3 or -3. Two possible answers -- not sufficient.

Trap 2.4

Narrowed but not pinned down

Reducing possibilities from infinite to two still is not sufficient. Sufficient means exactly one answer.

e.g. What is x ? (1) x squared - $5x + 6 = 0$. Solutions: $x=2$ or $x=3$. Two answers -- not sufficient.

Trap 2.5

Illegal cancellation hides a solution

Dividing both sides by a variable assumes it is non-zero. If it could be zero, you've thrown away a valid answer.

e.g. Is $x=5$? (1) x squared = $5x$. Wrong: divide by x -- $x=5$. Right: $x(x-5)=0$ -- $x=0$ or $x=5$ -- not sufficient.

The Meta-Principle

For every answer you choose, try to break it. High scorers pick the answer that survives an attempted disproof. Ask: Have I tried a negative number? Have I tried zero? Have I tried a fraction between 0 and 1? A very large number? If 15 seconds of disproof yields nothing, lock in and move on. If you find a counterexample, your answer was wrong.